

# Database Management Systems

## Part III: Database Design

### Lecture 10

#### Normalization: 1NF, 2NF, 3NF, BCNF

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# Introduction

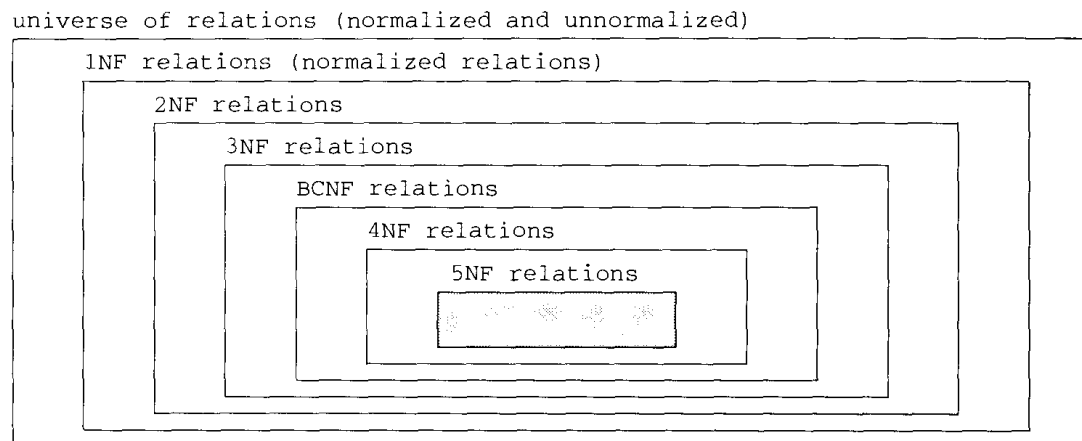
- **Normalization of data** is a process of analyzing the given relation based on their functional dependencies and primary keys **to minimize redundancy and the insertion, deletion, and update anomalies.**
- Normalization brings the database to a **consistent state.**
- It can be considered as a filtering or purification process to make the design have successively **better quality.**
- This is accomplished by designing the relations that are in an **appropriate normal form.**

# Normal Forms

- The process of further normalization is built around the concept of **normal forms**.
- The normal form of a relation refers to the **highest normal form** condition that it meets, and hence indicates **the degree** to which **it has been normalized**.
- All these normal forms are based on a single analytical tool which is **the functional dependencies** among the attributes of a relation.

# Normal Forms (Cont.)

- Numerous normal forms have been defined as shown in figure.
- Initially, **Codd** proposed three normal forms, which he called **First, Second, and Third Normal Form**.
- A stronger definition of 3NF called **Boyce-Codd Normal Form (BCNF)** was proposed later by **Boyce and Codd**.



# Normalization Procedure

- The normalization procedure involves **breaking down or decomposing** a given relation into other relations.
- Decomposition operator in the normalization procedure is **projection** and recomposition operator is **join**.
- The process of normalization through decomposition must also confirm the existence of two additional properties: **Nonloss Decomposition** and **Dependency Preservation**.

# Nonloss Decomposition

- **Nonloss decomposition** guarantees that the spurious tuple generation problem does not occur with respect to the relation schemas created after decomposition.
- Nonloss decomposition also guarantees that **no information is lost** in the process.
- Figure shows a sample tabulation of relation S and there are two possible decompositions corresponding to that tabulation.

| S | S# | STATUS | CITY   |
|---|----|--------|--------|
|   | S3 | 30     | Paris  |
|   | S5 | 30     | Athens |

# Nonloss Decomposition (Cont.)

Case (a) SST

| S# | STATUS |
|----|--------|
| S3 | 30     |
| S5 | 30     |

SC

| S# | CITY   |
|----|--------|
| S3 | Paris  |
| S5 | Athens |

- In case (a), the two relations SST and SC still tell us that supplier S3 has status 30 and city Paris, and supplier S5 has status 30 and city Athens.
- If we join relations SST and SC back together again, we get back the original relation S and **no information is lost**.
- In other words, this first decomposition is indeed **nonloss**.

# Nonloss Decomposition (Cont.)

Case (b) SST

| S# | STATUS |
|----|--------|
| S3 | 30     |
| S5 | 30     |

STC

| STATUS | CITY   |
|--------|--------|
| 30     | Paris  |
| 30     | Athens |

- In case (b), we can still tell that both suppliers have status 30, but we cannot tell which supplier has which city.
- if we join SST and SC together again, we do not get back the original relation S, and so we have **lost information**.
- In other words, the second decomposition is **not nonloss** but lossy.

# Functional Dependencies

- There is a formal methodology for evaluating whether a relational schema should be decomposed.
- This methodology is based upon the concepts of **keys and functional dependencies**.
- Whereas a superkey is a set of attributes that uniquely identifies an entire tuple, a functional dependency allows us to express **constraints** that uniquely identify the values of certain attributes.

# Functional Dependencies (Cont.)

- **Functional dependencies** have to be satisfied in order to guarantee that joining the decomposed relations back together take back to the original relation.
- For example, observe that relation S **satisfies the irreducible set of FDs.**

$S\# \rightarrow \text{STATUS}$

$S\# \rightarrow \text{CITY}$

S

| S# | STATUS | CITY   |
|----|--------|--------|
| S3 | 30     | Paris  |
| S5 | 30     | Athens |

# Functional Dependencies (Cont.)

## Health's Theorem

- Let  $R\{A, B, C\}$  be a relation, where  $A$ ,  $B$ , and  $C$  are sets of attributes.
- If  $R$  satisfies the FD  $A \rightarrow B$ , then  $R$  is equal to the join of its projections on  $\{A,B\}$  and  $\{A,C\}$ .

## Functional Dependencies (Cont.)

- Returning to the example, taking A as S#, B as STATUS, and C as CITY, the theorem confirms that relation S **can be nonloss-decomposed** into its projections on {S#, STATUS} and {S#, CITY}.
- At the same time, relation S **cannot be nonloss-decomposed** into projections on {S#, STATUS} and {STATUS, CITY}.

# First Normal Form

- **First normal form (1NF)** is defined in the definition of relations (tables) itself.
- 1NF states that all the attributes in a relation must have **atomic domains** and that the value of any attribute in a tuple must be **a single value** from the domain of that attribute.
- A domain is atomic if elements of the domain are considered to be **indivisible units**.
- A relation schema R is in first normal form (1NF) if the domains of all attributes of R are atomic.

## First Normal Form (Cont.)

- A set of names is an example of a nonatomic value as they can be divisible such as FIRST NAME and LAST NAME.
- Identification numbers such as CS001, EE1127 can also be divided into smaller units and so, they are nonatomic too.
- If a relation schema had an attribute whose domain consists of identification numbers encoded as above, the schema would not be in first normal form.

# First Normal Form (Cont.)

- We rearrange the relation (left table) as below (right table) to convert it to First Normal Form.
- Each attribute must contain only a single value from its pre-defined domain.

| Course      | Content        |
|-------------|----------------|
| Programming | Java, c++      |
| Web         | HTML, PHP, ASP |

| Course      | Content |
|-------------|---------|
| Programming | Java    |
| Programming | c++     |
| Web         | HTML    |
| Web         | PHP     |
| Web         | ASP     |

# Second Normal Form

- **Second normal form (2NF)** is based on the concept of **full functional dependency**.
- Functional dependency FD:  $X \rightarrow Y$  is a full functional dependency if any attribute  $A$  from  $X$  is removed, then the dependency **does not hold any more**.
- The FD:  $X \rightarrow Y$  is a partial dependency if some attribute  $A \in X$  can be removed from  $X$  and the dependency still holds.

## Second Normal Form (Cont.)

- A relation is in 2NF if and only if it is in 1NF and every non-key attribute is **full functional or irreducibly dependent** on the primary key.
- Note that a non-key attribute is any attribute that does not participate in the primary key of the relation concerned.

## Second Normal Form (Cont.)

- For example, in Student\_Project relation, the primary key attributes are Student Id and Project ID and non-key attributes are Student Name and Project Name.
- The relation is **not in second normal form** because Student Name and Project Name can be identified by Student Id and Project ID independently.

Student\_Project

|            |            |              |              |
|------------|------------|--------------|--------------|
| Student ID | Project ID | Student Name | Project Name |
|------------|------------|--------------|--------------|

## Second Normal Form (Cont.)

- We decomposed the original relation (Student\_Project) into two relations (Student and Project) as follows.
- Now, there exists **full functional dependency** and they are **in the second normal form**.

Student

|            |              |            |
|------------|--------------|------------|
| Student ID | Student Name | Project ID |
|------------|--------------|------------|

Project

|            |              |
|------------|--------------|
| Project ID | Project Name |
|------------|--------------|

# Third Normal Form

- Third normal form (3NF) is based on the concept of **transitive dependency**.
- A relation is in 3NF if and only if it is in 2NF and every non-key attribute is **mutually independent** each other and **irreducibly dependent** on the primary key.
- Two or more attributes are mutually independent if none of them is functionally dependent on any combination of others.
- Such independence implies that each such attribute can be updated independently of all the rest.

# Third Normal Form (Cont.)

- For example, consider the relation P is in 3NF.

| P | P# | PNAME | COLOR | WEIGHT | CITY   |
|---|----|-------|-------|--------|--------|
|   | P1 | Nut   | Red   | 12     | London |
|   | P2 | Bolt  | Green | 17     | Paris  |
|   | P3 | Screw | Blue  | 17     | Rome   |
|   | P4 | Screw | Red   | 14     | London |
|   | P5 | Cam   | Blue  | 12     | Paris  |
|   | P6 | Cog   | Red   | 19     | London |

$P\# \rightarrow PNAME$

$P\# \rightarrow COLOR$

$P\# \rightarrow WEIGHT$

$P\# \rightarrow CITY$

- The attributes PNAME, COLOR, WEIGHT, and CITY are certainly all independent of one another.
- And, they are all irreducibly dependent on the primary key P#.
- According to the definition, the relation P is **in 3NF**.

# Boyce/Codd Normal Form

- **Boyce/Codd Normal Form (BCNF)** eliminates all redundancy that can be discovered based on functional dependencies.
- Ideally, relational database design should strive to achieve BCNF or 3NF for every relation schema.
- A relation is in BCNF if and only if every nontrivial, left-irreducible FD has **a candidate key as its determinant** (left-hand side of an FD).
- Or, less formally, a relation is in BCNF if and only if the only determinants are candidate keys.

## Boyce/Codd Normal Form (Cont.)

- For example, consider the suppliers relation S is in BCNF.

| S | S# | SNAME | STATUS | CITY   |
|---|----|-------|--------|--------|
|   | S1 | Smith | 20     | London |
|   | S2 | Jones | 10     | Paris  |
|   | S3 | Blake | 30     | Paris  |
|   | S4 | Clark | 20     | London |
|   | S5 | Adams | 30     | Athens |

- The attributes S# and SNAME are both candidate keys (i.e., for all time, every supplier has a unique supplier number and also a unique supplier name).
- Therefore, the relation S is **in BCNF**.

# Dependency Preservation

- The idea that the normalization procedure should decompose relations into projections has come to be known as **dependency preservation**.
- It is important to preserve the dependencies because each dependency in the relations represents **a constraint** on the database.
- Dependency preservation ensures that each functional dependency is represented in some individual relation resulting **after decomposition**.

# Summary

- Every relation in  $(n+1)$  normal form is automatically in  $n$  normal form as well.
- **Functional dependencies** play the crucial role in the procedure.
- Heath's theorem tells that if a certain FD is satisfied, then a certain decomposition is **nonloss**.
- Reduction to BCNF is **always possible** that is any given relation can always be replaced by an equivalent set of relations in BCNF.
- The purpose of such reduction is **to avoid redundancy** and **to avoid certain update, delete and insert anomalies**.

# Next Lecture

## Part III: Database Design

### Normalization

- Higher Normal Forms
- Other Normal Forms

# Textbook and References

## Textbook

- C. J. Date, “An Introduction to Database Systems”, 6th Edition, 1994.

## Additional References

- Abraham Silberschatz, Henry F. Korth, S. Sudarshan, “Database System Concepts”, 6th Edition, 2011.
- Ramez Elmasri, Shamkant B. Navathe, “Fundamentals of Database Systems”, 6th Edition, 2010.
- [https:// www.tutorialspoint.com](https://www.tutorialspoint.com)